

Thoughts on Sartre ePb

MDB

Current ePb tables are useless

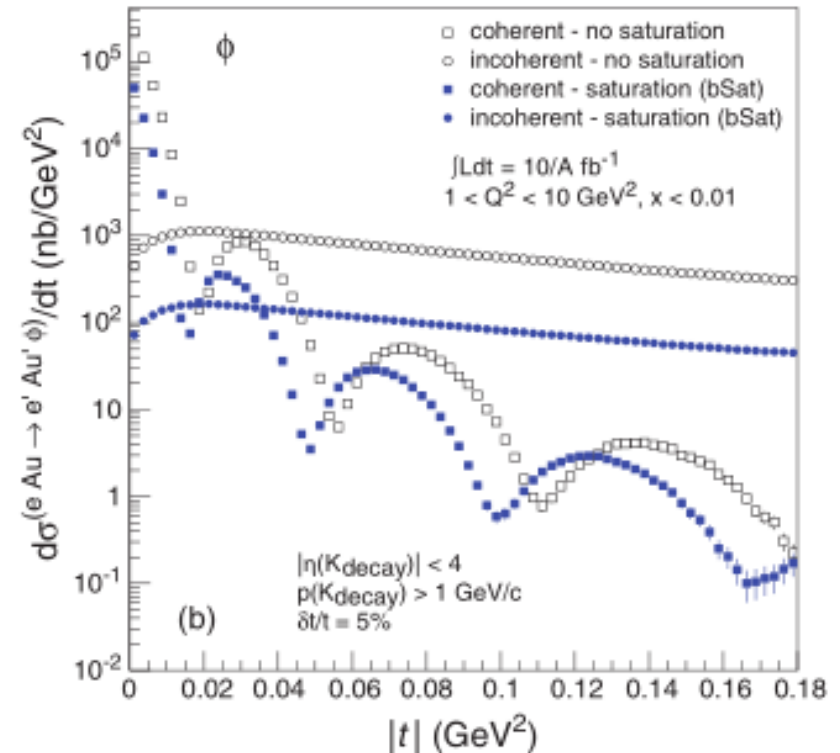
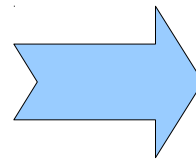
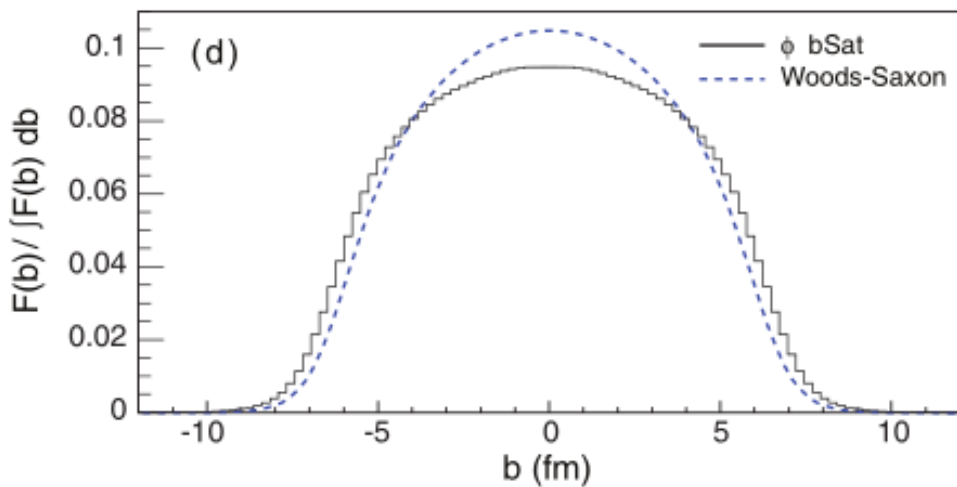
But I have an idea...

(following up on what Tobias said last meeting)

Current ePb tables are for LHC (UltraPeripheral)

- Lowest W^2 bin ~ 2 or 10 GeV^2 has $d\sigma/dt=0$ for most values of Q^2, t .
- 2nd lowest W^2 bin is at $\sim 2,000,000 \text{ GeV}^2$!
- Gap is 100x the whole range of the eAu tables which cover 2 or 10 to 20000 GeV^2
- To far to interpolate reasonably

Coherent $d\sigma/dt$ is $|FT|^2$



Plots from Toll, Ullrich, PRC 87, 024913 (2013)

Problem: Small changes in R cause a scale change in $d\sigma/dt$
 Ratio ePb/eAu may be quite a bit off.

An idea

- Tobias suggested using the assumption that $d\sigma/dt(\text{Pb}) \approx d\sigma/dt(\text{Au})$ since the Pb radius is only 3.8% larger than Au.
- What about the next approximation?
 $d\sigma/dt^*(\text{Pb}) \approx d\sigma/dt^*(\text{Au})$
where $t^* \equiv tR^2$ is dimensionless
 - Should work for coherent
 - Not sure about incoherent, but we can check how that scales...

Relatively easy to confirm

- Generate a coherent ePb grid which is somewhat sparse in $Q^2 \times W^2$ (3x4 or even to start 1x1!) but similar to eAu in # of t bins (say 160).
- Compare $d\sigma/dt^*$
- If it works, repeat for total (incoherent). 1X1x20, or 3x4x20. (note: typical eAu is 2 regions, each with $\sim 20 \times 55 \times 20$)
- If it works reasonably well, we can make a simple transformation on the EXISTING eAu grids to generate a reasonable approximation to ePb very quickly.